

Temperature dependence of pulse properties in an n-type germanium detector

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Application of Germanium Detectors in Fundamental Research
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MAX-PLANCK-GESellschaft



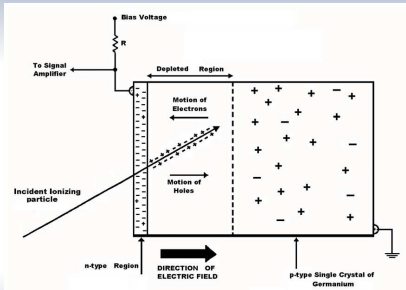
Outline

- Introduction: germanium detectors
- Experimental setup
- Theoretical model
- Event selection
- Extraction of the rise time
- Summary



Introduction

Semiconductors detectors are used to register radiation:



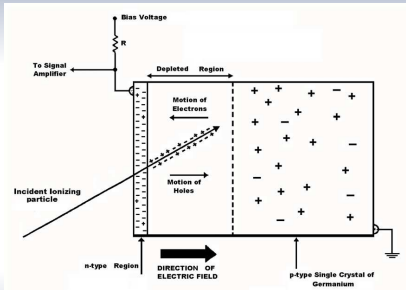
Requirements for GeDes:

- cooled down ($T \sim 77\text{ K}$) to reduce thermal excitation.
- high voltage (few kV) applied to reduce the number of free charge carriers



Introduction

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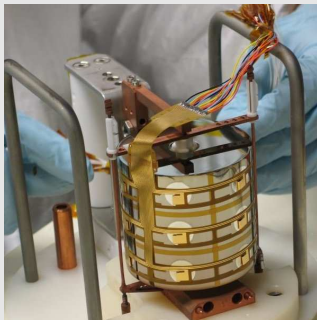
Requirements for GeDes:

- cooled down ($T \sim 77\text{ K}$) to reduce thermal excitation.
- high voltage (few kV) applied to reduce the number of free charge carriers

Created electrons and holes drift → induced signal is collected



Detector Siegfried-II



- Segmented 18-fold ($3z \times 6\phi$);
- High-purity detector (electrically active impurities concentration $0.35 - 0.55 \cdot 10^{10}/\text{cm}^3$);
- Operation voltage 2000+ V.



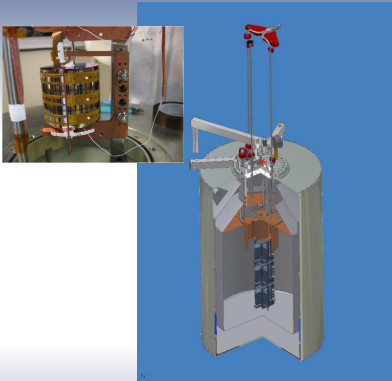
Outline

- Introduction: germanium detectors
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 - Test stands
 - Temperature monitoring
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Test stands @ MPI

Two test stands were used:



Gerdalinen II, detectors submerged in LN2 at fixed $T = 77.4$ K;

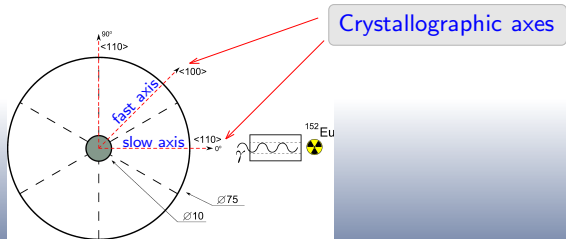


K1 detector in vacuum cooled through a cooling finger at varying $T = 90$ – 120 K.



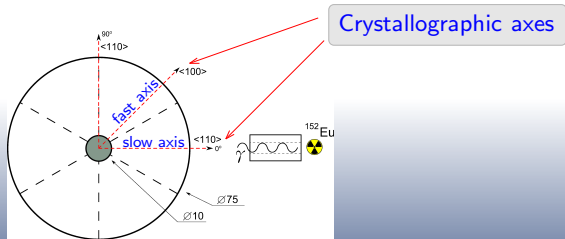
Collected datasets

Orientation	DS1@77 K	DS2@95–100 K	DS3@100–120 K
Along $\langle 110 \rangle$ axis	0°	0°	5°
Along $\langle 100 \rangle$ axis		45°	50°

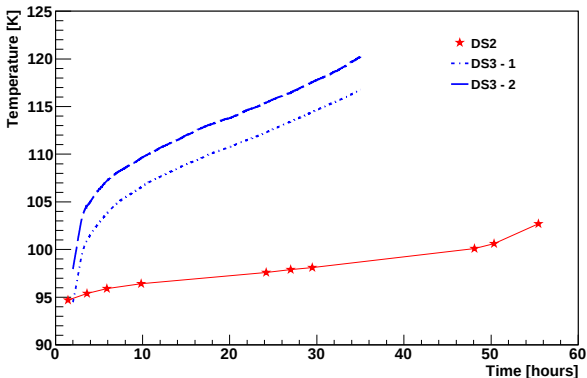


Collected datasets

Orientation	DS1@77 K	DS2@95–100 K	DS3@100–120 K
Along $\langle 110 \rangle$ axis	0°	0°	5°
Along $\langle 100 \rangle$ axis		45°	50°
$\langle 110 \rangle + 5^\circ$	5°		5°
$\langle 110 \rangle - 15^\circ$	-15°		-15°



Temperature monitoring in K1



DS2: One set of T measurements during data taking

DS3: Two sets of T measurements before and after data taking



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Theoretical model

Electrical field in a true-coax detector:

Poisson equation: $\Delta\phi(\mathbf{x}) = -\frac{1}{\epsilon_0\epsilon}\rho(\mathbf{x}) \Rightarrow$
 $E(r) = |\mathbf{E}(r)| = \frac{e\rho}{2\epsilon_0\epsilon}r + \frac{V - (e\rho/4\epsilon_0\epsilon)(r_2^2 - r_1^2)}{r \ln(r_2/r_1)}$

$\mu_{e/h}^{\text{eff}}$ - approximation for
 $\approx$ homogeneous EF;
 μ_e^T - T -independent constant

Velocity: $v_{e/h} = \mu_{e/h}^{\text{eff}} E(r)$
 Theory*: $\mu_e^{\text{eff}} = \mu_e^T \cdot T^{-3/2}$

$v = dr/dt = \mu_e^T \cdot T^{-3/2} \cdot (Ar + \frac{B}{r}) \Rightarrow$
 $|\text{solve}| \Rightarrow$ For drift from the outside in:
 $t(r) = \frac{\ln\left(\frac{Ar_2^2 + B}{Ar_1^2 + B}\right)}{2A} \cdot \frac{T^{3/2}}{\mu_e^T};$
 Rise time: $t_{\text{rise}} = C \cdot \frac{T^{3/2}}{\mu_e^T}.$

For Siegfried-II:

$$r_1 = 5 \text{ mm}$$

$$r_2 = 37.5 \text{ mm}$$

$$\rho = 0.45 \cdot 10^{10} / \text{cm}^3$$

$$V = 2000 \text{ V}$$

* Phys. Rev. **80** (1950) 72,
 based on scattering off phonons



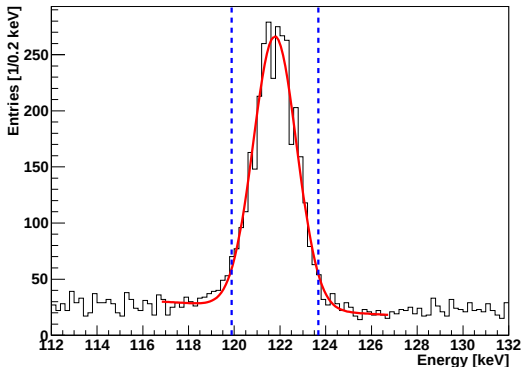
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Event selection

- Only events induced by $122 \text{ keV} \pm 2\sigma$ photons from ^{152}Eu ;
- Single segment event (only one segment above $E_{\text{threshold}} = 20 \text{ keV}$).

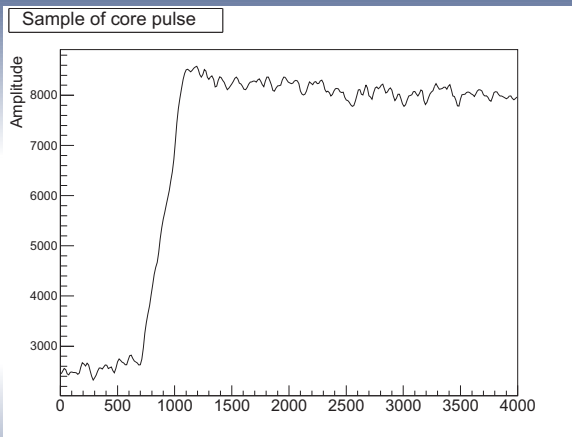


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- Introduction: germanium detectors
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 - Pulse properties: amplitude, rise time
 - Fit with simulated pulses
- Summary



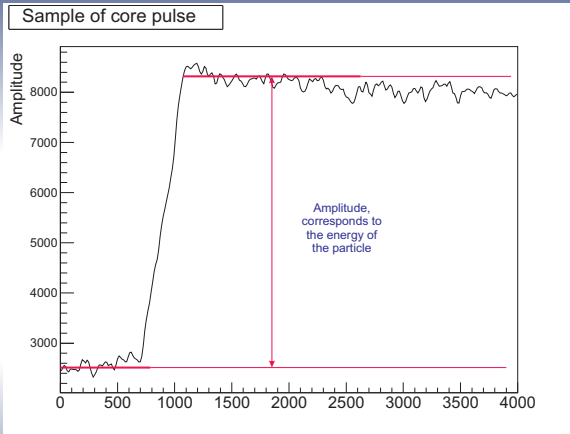
A pulse



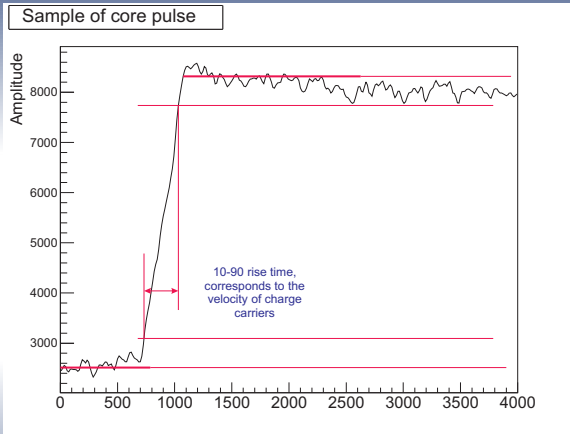
* DAQ had 75 MHz sampling frequency



Pulse properties: amplitude

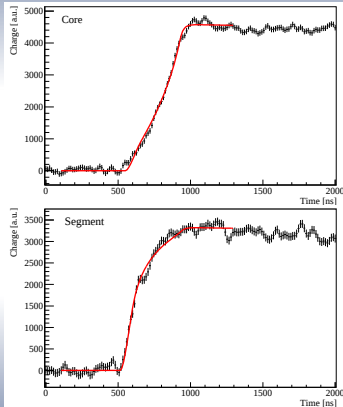


Pulse properties: rise time



Pulse fitting

Pulse example with the fit of simulated pulse:



Simulated pulse*:

- 1 GHz sampling frequency
- Single hit at depth 5 mm and $\phi = 0^\circ \rightarrow \text{axis } <110>$

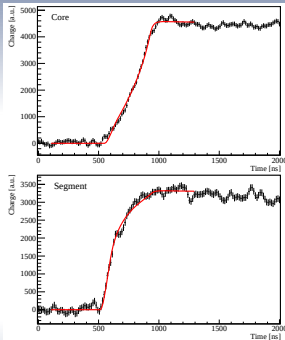
Three parameters of the fit, one of which is $t_{\text{scale}} \propto \frac{1}{t_{\text{rise}}}$.

* Eur. Phys. J. C (2010) **68** 609

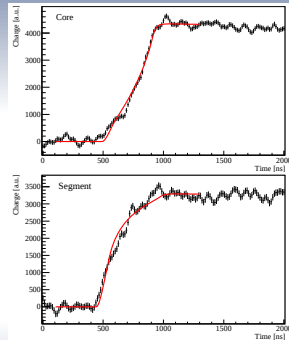


Pulse fitting

Pulse example with the fit of simulated pulse:



Good fit

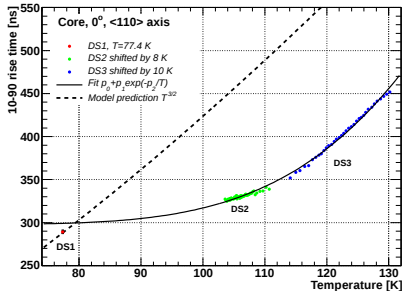


Bad fit

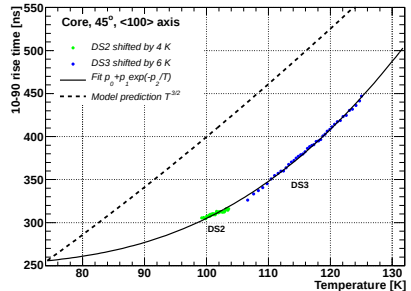
Only good fits were considered



Temperature dependence of pulse lengths: results



Slow axis $\langle 110 \rangle$



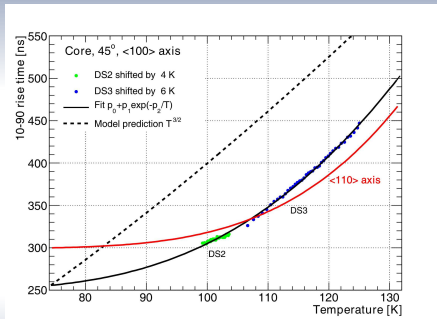
Fast axis $\langle 100 \rangle$

Fit: Boltzmann-like *ansatz* $p_0 + p_1 \cdot e^{-p_2/T}$



Temperature dependence of pulse lengths: results

Slow axis $\langle 110 \rangle$ becomes faster than the fast axis $\langle 100 \rangle$ at ~ 107 K?



Possible explanation:

- measurements of two germanium samples* showed conductivity change with temperature: electrical field is temperature dependent?

* IKZ, K. Irscher, private communication



Summary and conclusions

- Measurements do not agree with the simple model predictions (theoretical $T^{3/2}$, experimental $T^{1.66}$ and $T^{1.6}$);
- Boltzmann-like ansatz works fine;
- The old measurements of mobilities* are precise, therefore some detector-specific effects affect the results;
- Note: pulse amplitudes were stable for T range 95–120 K $\rightarrow$ the detector can be stably operated well above 100 K.

* Nucl. Instrum. Meth. A **569**, 764(2006)



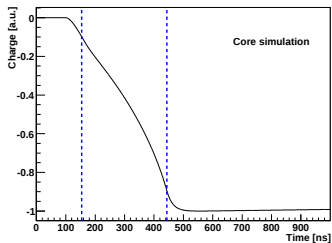
Thank you for your attention!



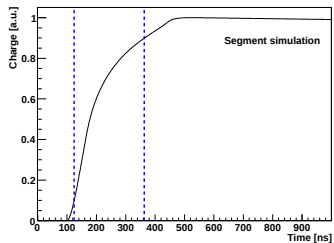
Backup



Simulated pulse



Core pulse



Segment pulse

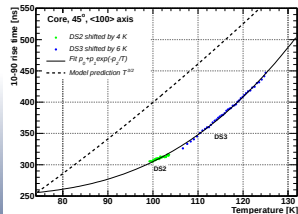
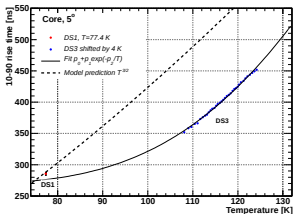
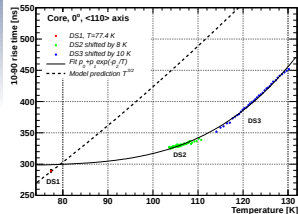
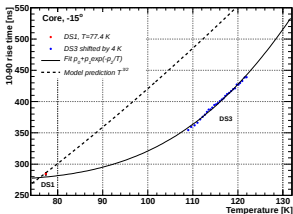
Simulated pulse

Properties:

- single hit at depth 5 mm and $\phi = 0^\circ \rightarrow$ axis $\langle 110 \rangle$;
- impurity level $0.45 \cdot 10^{10}/\text{cm}^3$;
- electron mobility constant 38609 (38536) mm^2/Vs for $\langle 100 \rangle$ ($\langle 111 \rangle$) axis;
- grid for numerical calculation $32(r) \times 180(\phi) \times 70(z)$;
- 1 GHz sampling frequency, corresponding to 1 ns step;
- bandwidth of ≈ 10 MHz;
- amplifier decay time $50 \mu\text{s}$;
- no noise.



Temperature dependence of pulse lengths: Core



Temperature dependence of pulse lengths: Segment

